Short Photoluminescence Lifetimes in Vacuum-Deposited CH$_3$NH$_3$PbI$_3$ Perovskite Thin Films as a Result of Fast Diffusion of Photogenerated Charge Carriers

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ABSTRACT: It is widely accepted that a long photoluminescence (PL) lifetime in metal halide perovskite films is a crucial and favorable factor, as it ensures a large charge diffusion length leading to a high power conversion efficiency (PCE) in solar cells. It has been recently found that vacuum-evaporated CH$_3$NH$_3$PbI$_3$ (eMAPI) films show very short PL lifetimes of several nanoseconds. The corresponding solar cells, however, have high photovoltage (>1.1 V) and PCEs (up to 20%). We rationalize this apparent contradiction and show that eMAPI films are characterized by a very high diffusion coefficient $D$, estimated from modeling the PL kinetics to exceed 1 cm$^2$/s. Such high $D$ values are favorable for long diffusion length as well as fast transport of carriers to film surfaces, where they recombine nonradiatively with surface recombination velocity $S \sim 10^4$ cm/s. Possible physical origins leading to the high $D$ values are also discussed.
The widespread research toward solution-processing technologies for the fabrication of solar cells based on metal halide perovskites (hereinafter perovskites) resulted in the fast progress in power conversion efficiencies (PCE) of the devices, from 3.8% in 2009 to 23.7% in 2019. One of the most important parameters of a photovoltaic material is the diffusion length $L_0$ of the photogenerated charge carriers. For efficient carrier transport in a solar cell, $L_0$ has to be sufficiently long and exceed the absorption length and thickness of the active layer. Perovskites show diffusion lengths ranging from 100 nm for polycrystalline films, to hundreds of micrometers in the case of single crystals. The carrier lifetime $\tau$ is considered to be the main factor determining the diffusion lengths in perovskite films, according to the expression $L_0 = D\tau$ where $D$ is the diffusion coefficient (diffusivity) and $\tau$ is the carrier recombination lifetime.

For solution processed, unpassivated polycrystalline perovskite films, $\tau$ usually exceeds a hundred of nanoseconds, as measured by the photoluminescence (PL) decay kinetics. However, extremely short PL lifetimes (several nanoseconds) have been recently reported for polycrystalline methylammonium lead iodide films produced by vacuum evaporation/deposition (hereinafter eMAPI). In spite of such short PL lifetimes, the PCE of the vacuum-deposited solar cells is similar to those obtained with solution-processed MAPI layers (hereinafter sMAPI) which usually exhibit PL lifetimes on the time scale of hundreds of nanoseconds. As was previously noted this observation is in apparent contradiction with the hypothesis assigning a leading role to long carrier lifetimes in obtaining high PCE (and therefore PCE).

In the present work we investigate PL transients of eMAPI layers on glass and demonstrate that, at charge carrier concentrations compatible with solar illumination ($10^{15}$–$10^{16}$ cm$^{-3}$), at which the contribution of the radiative band-to-band recombination is negligible, the short PL kinetics originates from the fast carrier diffusion followed by nonradiative recombination at the layer surfaces. This finding allowed us to apply the one-dimensional diffusion equation to model the PL kinetics and to determine the ambipolar diffusion coefficient $D$ and the surface recombination velocity $S$. We found that in the case of eMAPI the diffusion coefficient $D$ exceeds 1 cm$^2$/s, which is more than 1 order of magnitude higher than average values observed for sMAPI films. At the same time, the fitting disclosed also high values of the surface recombination velocity $S \sim 10^5$ cm/s. The obtained values of the diffusion coefficient are close to the maximum values of $D$ known in the literature for both polycrystalline layers and single crystals of perovskites.

Preparation of eMAPI films, deposition of passivating layers as well as fabrication of the corresponding solar cells was carried out in a nitrogen atmosphere, as described in detail in the Materials and Methods (see Supporting Information). To study the effect of passivation and to minimize any possible sample-to-sample variation, $3 \times 3$ cm$^2$ eMAPI coated glass slides were cut into nine 1 cm$^2$ samples. Some of these were analyzed without further treatment; others were coated with a thin (<20 nm) layer of trioctylphosphine oxide (TOPO) as the passivating agent. Investigation of the PL transients for pristine and passivated eMAPI films on glass was carried out at room temperature in air for 2–3 h after sample preparation. During this time neither the PL kinetics nor the spectral shape varied.

Figure 1 shows photovoltaic characteristics of solar cells fabricated using eMAPI layers of three different thicknesses. In the case of 600 and 970 nm thick absorbers, the PCE was as high as 19.9 and 20.6%, similar to the previously reported best vacuum-deposited and solution-processed perovskite solar cells using MAPI as the active material. Of particular interest is the open circuit voltage ($V_{oc}$), which is basically thickness-independent and as high as 1.16 V for a 1 µm thick eMAPI perovskite film. This is indicative of a high quality semiconductor, where bulk nonradiative recombination is almost suppressed. Nevertheless, despite the high performance of the solar cells, the PL transients of freshly prepared eMAPI layers on glass are very short (not longer than several nanoseconds; see a representative PL transient in Figure 2a) as compared to the PL lifetimes typically reported for sMAPI films. Such unusually short PL lifetimes were highlighted in several earlier publications. In the framework of the commonly accepted recombination scheme for perovskites, the short PL lifetimes in eMAPI could be explained by the presence of efficient nonradiative bulk recombination. However, this would imply recombination losses that are inconsistent with the high PCE and especially the high open circuit voltage we found in solar cells (Figure 1). Short PL lifetimes in eMAPI films have been attributed to the high contribution of the radiative band- band recombination to the PL kinetics. In turn, we assume that the observed short carrier lifetimes are caused by nonradiative recombination on the perovskite surface but not in bulk. In this scenario, the PL decay kinetics in eMAPI should strongly lengthen after surface passivation.
To test this idea, we used TOPO as a well-known surface passivating agent. Typical PL transients measured for eMAPI layers before and after passivation of their front surface by TOPO are shown in Figure 2 (excitation by 100 fs light pulses at 405 nm with a pulse repetition rate of 76 MHz). The nonpassivated eMAPI layer demonstrated short PL decay kinetics (symbols in Figure 2a and in Figure 2b, curve 1), which is well described by a monoexponentially decaying function (the exponential modeling is not shown) with a time constant of 0.75 ns. After passivation by TOPO, the sample showed much longer kinetics (symbols in Figure 2b, curve 2), which is also well described by a monoexponentially decaying function, but with a much longer time constant of $\tau_{PL} = 73.5$ ns. Note that in the case of the passivated layer, due to the small time interval $T$ (13 ns) between successive excitation pulses, the condition $T < \tau_{PL}$ is fulfilled, so that only part of the PL decay kinetics is experimentally recorded. However, we demonstrate below by numerical modeling of carrier diffusion processes initiated by single and repetitive pulse excitation that the initial 13 ns part of the ~100 ns decay kinetics has the same decay time constant as the full kinetics obtained after single-pulse excitation (Figure 2c and corresponding text). Thus, the passivation of only one (front) surface of eMAPI layer leads to a lengthening of the experimentally observed PL lifetime $\tau_{PL}$ from ~1 ns to ~100 ns. This fact clearly indicates that (i) the PL decay kinetics of the nonpassivated layer is strongly determined by carrier surface recombination and (ii) the bulk carrier lifetime $\tau_B$ is equal to or longer than ~100 ns.

Literature data obtained for TOPO-passivated solution-prepared MAPI layers demonstrate that $\tau_B$ has a magnitude of the order of 1 μs or more, but for our further calculations and evaluations we will assume that $\tau_B = \tau_{PL} \approx 100$ ns. As discussed below, the impact of the bulk lifetime value (whereas $\tau_B$ is 100 or 1000 ns) on our numerical analysis of PL transients in nonpassivated eMAPI layer is negligible, as the condition $\tau_{PL} \ll \tau_B$ is satisfied anyway. The simulation of carrier diffusion in thin film semiconductors is facilitated by the fact that the diffusion of carriers occurs only orthogonally to the sample surface (defined by the light incidence). Indeed, due to the large absorption coefficient $\alpha$ at the excitation wavelength ($\alpha_{405} = 1.5 \times 10^5$ cm$^{-1}$ in our case), all the light is absorbed within less than 100 nm thickness, where free carriers are formed. As a result, carrier diffusion occurs, which is directed along the carrier concentration gradient, and hence is perpendicular to the surface of the layer. To describe the carrier diffusion process, we use a one-dimensional diffusion eq 1 under the assumption that the kinetics of the carrier concentration decay is described only by two nonradiative recombination processes, which are linear with respect to the concentration $n$: (i) surface recombination (see boundary conditions below) and (ii) bulk recombination (described by the second

$$\frac{\partial n(x,t)}{\partial t} = D \frac{\partial^2 n(x,t)}{\partial x^2} - \frac{n(x,t)}{\tau_3} + G(x,t)$$

where $D$ is the diffusion coefficient, $\tau_B$ is the bulk carrier lifetime (set to 100 ns in our case), and $G(x,t)$ is the generation rate upon a light pulse. We intentionally did not include in eq 1 a term proportional to $\tau_2$, corresponding to the radiative bimolecular recombination, since its presence reduces the reproducibility and accuracy of fitting the experimental kinetics. This circumstance requires, however, that experimental measurements of the PL transients are performed at low concentrations of photoexcited carriers, when the quadratic term can be neglected (see Note 1 in the Supporting Information). We consider two excitation regimes: single pulse excitation and repetitive pulse excitation. In the former case the concentration of excited carriers at the initial time is assumed to be zero:

In the case of repetitive excitation with the time interval $T$ between pulses we consistently calculated each excitation cycle. The initial value of the concentration of the next calculation cycle is taken as the final value of the previous one. In this case, condition 2a is modified as follows:

$$= - n(x,0) n(x,T) (2b)$$

where $T = 13$ ns and $i$ is the cycle number. The cycles are calculated until an equilibrium is established, i.e., when the carrier concentration profile does not change when calculating a new cycle. The number of photogenerated charge carriers is proportional to the intensity of the excitation signal:
\[ G(x,t) \propto \alpha G(x,t) e^{-x(3)} \]

where \( \alpha \) is the absorption coefficient at the excitation wavelength, and the excitation signal profile \( I(x,t) \) is modeled by the Gaussian distribution \( \propto e^{-\left( -\mu \right)^2 / w^2} \) where \( w \) is the excitation pulse half width and \( \mu \) is a position of the excitation pulse maximum. We used also standard boundary conditions describing recombination on the front (eq 4) and rear (eq 5) surfaces of the layer:

\[ \frac{\partial n(x,t)}{\partial x} \bigg|_{x=0} = \frac{S_F}{D} n(0,t) \]

\[ \frac{\partial n(x,t)}{\partial x} \bigg|_{x=L} = -\frac{S_B}{D} n(L,t) \]

where \( S_F \) and \( S_B \) are the surface recombination velocity on the front and back side, respectively, and \( d \) is the layer thickness. The numerical solution of the differential equation was made in the framework of the Crank-Nicolson difference scheme. The relationship between the distribution of charge carriers over the layer thickness and the experimentally measured kinetics of the PL decay \( I_{PL}(t) \) is given by the following equation:

\[ I_{PL}(t) = \int_0^L n(x,t) \, dx \]

In (6), only monomolecular (both bulk and surface) carrier recombination was taken into account, in accordance with our requirement to work at sufficiently low \( n \) to prevent bimolecular processes. Our estimates show that the maximum permissible \( n \), which still enables to avoid bimolecular recombination, depends on the PL transient lifetime and is \( \sim 10^{-7} \text{cm}^{-3} \) for transients with \( \tau_{PL} \sim 1 \text{ns} \) and \( \sim 10^{-5} \text{cm}^{-3} \) for transients with \( \tau_{PL} \sim 100 \text{ns} \) (see Note 1 in the Supporting Information). Importantly, the carrier concentration range of \( 10^{-7}-10^{-6} \text{cm}^{-3} \) corresponds to the characteristic concentrations in perovskite solar cells under 1 sun illumination.19

The results of fitting of the experimental PL transients of nonpassivated eMAPI by the diffusion equation (1) are shown in Figure 2a (solid line). The fitting allows one to determine simultaneously the values of the diffusion coefficient \( D \) and the surface recombination velocity \( S \). In the case of nonpassivated eMAPI layer we assume \( S_F = S_B = S \). In the case of the frontpassivated layer we assume \( S_F + S_B \) (we cannot evaluate separately \( S_F \) and \( S_B \) because we are not able to passivate the buried interface of the layer). It turned out that for the nonpassivated eMAPI layer, the fitting procedure enables us to determine only the lower limit of the diffusion coefficient due to very high values of \( D \). The best fitting to experimental results shown in Figure 2a was obtained by using \( D \geq 1.0 \text{cm}^2/\text{s} \) and \( S = 4.5 \times 10^4 \text{cm/s} \). The PL kinetics modeling by the diffusion equation presented in Figure S2a demonstrates how, at high \( D \) values, the kinetics becomes insensitive to \( D \). Apart from the PL kinetics for nonpassivated eMAPI, we modeled also the carrier concentration distribution over the layer thickness as a function of time (see Figure S2b). As one can see, immediately after excitation, photogenerated carriers become homogeneously distributed over the film thickness.

We believe that this fast carrier redistribution over the full layer thickness is why, after passivation of the eMAPI layer front side, the PL lifetime increases only to \( \sim 100 \text{ns} \) but not to \( \sim 1 \mu \text{s} \) as in the case of sMAPI layers. Indeed, in the case of sMAPI, for which \( D \) is usually \( \ll 1 \text{cm}^2/\text{s} \), the carrier redistribution is much slower so that the back side practically does not participate in photoexcited carrier quenching (Figure S2c). In order to fit long-lived PL transients observed for passivated eMAPI films (curve 2 in Figure 2b), we have developed a different procedure that enables us to model the PL response when \( T < \tau_{PL} \). The fitting results in \( S_{eff} = 120 \text{cm/s} \) at \( \tau_B = 100 \text{ns} \). We suggest here
D = 1.0 cm/s, as in the case of nonpassivated layers, because passivation by TOPO is a surface effect and should not change the perovskite bulk properties.\textsuperscript{18} When T < τ\textsubscript{PL}, photoexcited carriers do not recombine completely between consecutive excitation pulses, so that \(\sim\)80\% of the PL signal is from permanently excited carriers and only \(\sim\)20\% corresponds to the signal decaying between pulses (Figure 2b). It is interesting to note that the model developed for the regime of high repetition rate excitation enabled us to visualize how the PL background arises after first excitation pulses and then saturates. It turned out that the stationary mode is set during about 200 ns after starting the excitation in the case of our TOPO-saturated layer, which corresponds to less than 20 excitation pulses (see Note 2 and Figure S3).

To ensure that the fitting procedure correctly reproduces the PL decay of the layer over the 13 ns window of the high repetition rate kinetics, we additionally simulated the same PL decay kinetics (i.e., using \(D = 1\) cm/s, \(S = 120\) cm/s, \(\tau_B = 100\) ns, \(\alpha_{405} = 1.5 \times 10^5\) cm\(^{-1}\)) under single-pulse excitation regime. As can be seen from Figure 2c, both kinetics lead to the same decay time constant of 73.5 ns. The absence of the contribution of bimolecular recombination under excitation conditions in our experiment (\(n \sim 10^{15}\) cm\(^{-3}\)) is confirmed by the fact that the PL transient practically does not change with a further decrease of the excitation intensity.

An analysis of the literature data on experimentally measured values of D for perovskite polycrystalline layers and single crystals allows us to propose some hypothesis about the origin of fast diffusion in eMAPI layers, that we and other authors have discovered. We have to note first of all that the reported D values for MAPI polycrystalline films prepared by spincoating spread in a wide range, from 10\(^{-1}\) to 2.7 cm/s,\textsuperscript{3,20–33} with the most common values ranging from 0.01 to 0.1 cm/s.\textsuperscript{s,3,32} Such a large scattering of results is partly due to differences in the perovskite layer preparation and properties.

However, an important factor to be considered is also the type of measurement used to estimate the diffusion coefficient D (or the associated carrier mobility \(\mu\)), and if such a method investigates the short- or long-range carrier transport.\textsuperscript{34} Indeed, average carrier mobility for MAPI films measured by terahertz and microwave conductivity (short-range methods, giving information about carrier transport at the submicrometer scale), is 37 cm/(V s) (\(D = 0.93\) cm/s). This is rather similar to the average values of \(\mu = 73\) cm/(V s) (\(D = 1.8\) cm/s)\textsuperscript{34} found for MAPI single crystals.\textsuperscript{34} Besides, recent direct measurements of D by the light induced transient grating method also showed that the diffusion coefficient of carriers, in the plane of the layer at distances shorter than the grain size, is of the same order of 1–2 cm/s.\textsuperscript{35,36} Thus, it is reasonable to assume that the transport of carriers within individual perovskite grains in polycrystalline films and in the volume of single crystals is rather similar, with a diffusion coefficient within \(\sim\)1–2 cm/s.

The transient PL method provides information about the long-range charge transport, giving an average diffusivity value over the whole layer thickness (i.e., along the entire path of the carrier diffusion).\textsuperscript{34} Since our transient PL method yields high D values for eMAPI layers, we suggest that the film might be composed by perovskite grains growing through its entire thickness. In this way, diffusion would occur across the layer as in a perovskite single crystal, justifying the large diffusivity observed here.\textsuperscript{34,37,38} Future studies will be focused on the task of resolve structurally the morphology of our eMAPI films. Also, it is worthwhile to discuss how the high values of the surface recombination velocity (\(S \sim 10^6\) cm/s) of nonpassivated eMAPI might still be compatible with the high efficiency of the corresponding solar cells, especially in view of much lower S reported for polycrystalline sMAPI (\(S = 0.45 \times 10^5\) cm/s) and MAPI single crystals (\(S = 2.8 \times 10^5\) cm/s).\textsuperscript{39} This apparent contradiction can be rationalized considering that in solar cells, the transport layers applied to the perovskite surfaces can efficiently passivate them.\textsuperscript{40}

In conclusion, our analysis shows that the perovskite layer PL lifetime cannot be used as the sole indicator predicting the efficiency of the corresponding solar cells. We have demonstrated that in thin eMAPI films under photogenerated carrier concentrations comparable with solar irradiation, the diffusion coefficient D reaches values exceeding 1 cm/s. Such high D values provide a very fast (several ns) delivery of charges to both film surfaces where, in the case of nonpassivated perovskite, nonradiative recombination take place. Therefore, the observed short recombination time is not an obstacle to obtain sufficiently long diffusion lengths. Indeed, following the formula \(L_D = D \tau_B\), the diffusion length \(L_D\) can be as long as 3–10 \(\mu\)m for \(\tau_B\) between 100 ns to 1 \(\mu\)s.
Figure 1. Photovoltaic parameters of vacuum deposited solar cells using eMAPI films with 100, 600, and 970 nm thickness.
Figure 2. Experimental (symbols) and model (solid lines) PL transients determined for 500 nm thick eMAPI layer on glass in the case of a nonpassivated [(a) and curve 1 in (b)] and TOPOpassivated [curve 2 in (b) and (c)] layers. The inset in (a) is the same PL transient but plotted in log scale. Comparison of the transients obtained by periodic excitation with time interval 13 ns between pulses (solid red line) with that obtained by a single pulse excitation (solid blue line) is presented in (c).

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Notes
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